RESEARCH ARTICLE

# QUANTITATIVE STRUCTURE ACTIVITY RELATIONSHIP (QSAR) STUDIES ON CARBONIC ANHYDRASE INHIBITORS: A CASE OF 5-SUBSTITUTED 3THIOPHENESULFONAMIDE <br> Ruchi Sharma ${ }^{\text {a }}$ and Hemant Gaur ${ }^{\text {b }}$ <br> a Chemistry Department, GGDSD College ,Palwal <br> ${ }^{\text {b }}$ Chemistry Department, St.Johns School,Faridabad 

ARTICLE INFO<br>\section*{Article History:}<br>Received 12 ${ }^{\text {th }}$, August, 2014<br>Received in revised form $21^{\text {st }}$, August, 2014<br>Accepted $11^{\text {th }}$,September, 2014<br>Published online $28^{\text {th }}$, September, 2014

## Key word:

Molecular modeling, QSAR, Carbonic
Anhydrase activity, Inhibitory concentration activity


#### Abstract

K. Chow and co-workers ( European J. Of Med., Chem., 3, 31, 1996) have been observed that carbonic anhydrase inhibitors have been successfully used in the control of IOP ( Intra Ocular Pressure) associated with glaucoma. With their ongoing interest in glaucoma therapy synthesized 5- Substituted 3- Thiophene Sulfonamide possessing potential carbonic anhydrase inhibitory effect. However till date no structure-activity relationship study has been made on this set of compounds. We have therefore, undertaken this task. A quantitative structure activity relationship ( QSAR ) study on a series of 5- Substituted 3Thiophene Sulfonamide and their Carbonic anhydrase inhibitors (CA Is ) activity was made using various combinations of electronic and topological parameters. Several statistically significant regression expressions were obtained using multiple regression analysis.These regressions may be considered as mathematically models for investigating (CA II ) activity of the compounds under present study. Here we have used molecular descriptors like Wiener index (W), Branching index (B), Balban index (J), Szeged index (Sz). It was observed that upon introduction of indicator parameters statistically excellent models are obtained. The predictive power of the models was examined using a Cross - Validation method. The extended branching play a dominant role in the exhibition of Inhibitory concentration activity of the compounds used.


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## INTRODUCTION

Carbonic an hydrase inhibitors (CAIs) have been successufully used in the control of IOP (Intra Ocular Pressure) associated with glaucoma. When they are administered orally as acetazolamide, methazolamide, ethoxyzolamide and dichlorophenamide lowering of IOP by inhibiting carbonic anhydrase ${ }^{1}$ occurs. In addition, the dosage required for a therapeutic effect also causes a multitude of side effects such as depression, gastrointestinal disturbance, parathesias etc. A topically active / effective CAI ${ }^{2}$ administered directly to the eye might obviate these undesirable systemic side effects. The route of administration would locate the action of drug to the eye. Early attempts at topically administrating systematically active CAIs where largely unsuccessful due to these agents poor ability to penetrate the cornea. Chow et al. ${ }^{3}$ with their ongoing interest in glaucoma therapy synthesized 5substituted 3- the ophenesulf on amides possessing potential carbonic anhydrase inhibitory effects. However till date no structure - activity relationship (QSAR) study has been made on this set of compounds. We have, therefore undertaken this task and in this paper we discuss topological modeling of $\mathrm{IC}_{50}$ (nM) CAII activity of the set of compounds presented in figure-1 and table - 1 .

Fig. 1. Set of compounds used in the present study


Here we have used molecular descriptors like Weiner index $(\mathrm{W})^{4}$, Balban index (J),Branching index (B) ${ }^{5,6}$,Szeged index $(\mathrm{Sz})^{7}$ and $\log \mathrm{RB}$ are used for modeling $\mathrm{IC}_{50}(\mathrm{nM})$ CAII activity. We have adopted these activities from the litratureand used by converting to $\log$ units.The structural details $\mathrm{pIC}_{50}$ values, topological indices, assumed indicator paramters for the set of 36 compounds are presented in Table 1. The correlation matrix ${ }^{9}$ for the set of data presented in Table -1 is given in Table -2.The regression ${ }^{10}$ parameters and quality of correlations are shown in Table -3 , while the detailed regression expressions are presented in Table -4. Finally, the estimated activity from the most appropriate correlation is recorded in Table -5 and compared with the observed activity. These results are discussed below.

## RESULTS AND DISCUSSION

In present study, small degeneracy is observed both in acitivity as well as in the topological indices used.
Such a presence of degeneracy is obvious as these topological indices belong to first and second generation according to Balban.In spite of the observed degeneracy these indices used in the present study gave successful results.Topological indices W and Sz accounts for the size, shape and branching in drug molecules, Topological index $B$ precisely takes care of branching. Balban index ${ }^{2}(\mathrm{~J})$ is a highly discriminating index, whose value do not substantially increase with the molecular size and the number of ring present. These physical significance associated with the used topological indices will

[^0]help us in interpretating the proposed QSAR model more precisely.

The qualities of these models are more or less similar, W having better quality than Sz .

Table -1Structural details and calculated molecular descriptors for the compounds used

| S.No. | X | R | pIC ${ }_{50}$ | W | B | Sz | J | $\log$ RB | $\mathrm{IP}_{1}$ | $\mathrm{IP}_{2}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 1. | Acetazolamide |  | 0.7782 | 2354 | 12.8680 | 2660 | 1.7877 | 603.4113 | 0 | 0 |
| 2. | Ethoxzolamide |  | -0.3010 | 3079 | 14.2176 | 3925 | 1.3268 | 738.7115 | 0 | 0 |
| 3. | OH | $\mathrm{n}-\mathrm{C}_{4} \mathrm{H}_{9}$ | 1.5052 | 638 | 8.4291 | 711 | 2.5361 | 191.1472 | 0 | 0 |
| 4. | OH | $\mathrm{n}-\mathrm{C}_{5} \mathrm{H}_{11}$ | 1.4914 | 763 | 8.9291 | 844 | 2.4091 | 223.4156 | 0 | 0 |
| 5. | OH | $4-\mathrm{C}_{6} \mathrm{H}_{4} \mathrm{OCH}_{3}$ | 1.2041 | 898 | 9.8027 | 1049 | 1.6702 | 268.3826 | 1 | 0 |
| 6. | OH | $4-\mathrm{C}_{6} \mathrm{H}_{4} \mathrm{CH}_{2} \mathrm{OH}$ | 1.6128 | 1269 | 10.8954 | 1688 | 1.9010 | 357.0091 | 1 | 0 |
| 7. | OH | $4-\mathrm{C}_{6} \mathrm{H}_{4} \mathrm{OH}$ | 1.4150 | 1096 | 10.3954 | 1456 | 1.9297 | 315.1501 | 1 | 0 |
| 8. | OH | $4-\mathrm{C}_{6} \mathrm{H}_{4} \mathrm{CHO}$ | 1.2555 | 1269 | 10.8954 | 1688 | 1.9010 | 357.0091 | 1 | 0 |
| 9. | OH | 4- $\mathrm{C}_{6} \mathrm{H}_{4} \mathrm{CH}_{2} \mathrm{OC}(\mathrm{O}) \mathrm{CH}_{3}$ | 1.3222 | 1643 | 11.7893 | 2180 | 1.8710 | 446.2216 | 0 | 0 |
| 10. | O | $\mathrm{C}_{6} \mathrm{H}_{5}$ | 1.1139 | 721 | 8.9256 | 946 | 1.9018 | 214.5818 | 0 | 0 |
| 11. | O | $\mathrm{n}-\mathrm{C}_{4} \mathrm{H}_{9}$ | 1.4314 | 553 | 7.8911 | 618 | 2.4654 | 165.6895 | 0 | 0 |
| 12. | O | $\mathrm{n}-\mathrm{C}_{5} \mathrm{H}_{11}$ | 1.1461 | 671 | 8.3911 | 744 | 2.4060 | 196.0120 | 0 | 0 |
| 13. | O | $4-\mathrm{C}_{6} \mathrm{H}_{4} \mathrm{OCH}_{3}$ | 1.4150 | 987 | 9.8574 | 1324 | 1.8650 | 282.6713 | 1 | 0 |
| 14. | O | $4-\mathrm{C}_{6} \mathrm{H}_{4} \mathrm{C}_{4} \mathrm{H}_{9}$ | 0.9395 | 1337 | 10.8574 | 1786 | 1.8009 | 365.5921 | 1 | 0 |
| 15. | O | $2-\mathrm{C}_{5} \mathrm{H}_{4} \mathrm{~N}$ | 1.2788 | 721 | 8.9256 | 946 | 1.9018 | 214.5818 | 0 | 0 |
| 16. | O | $2-\mathrm{C}_{6} \mathrm{H}_{4} \mathrm{~F}$ | 1.2553 | 818 | 9.3362 | 1073 | 1.9473 | 242.8038 | 0 | 0 |
| 17. | O | 3,5-C6 $\mathrm{H}_{3} \mathrm{~F}_{2}$ | 1.1760 | 945 | 9.7133 | 1258 | 1.9430 | 276.6212 | 0 | 0 |
| 18. | O | $3-\mathrm{C}_{6} \mathrm{H}_{4} \mathrm{CF}_{3}$ | 0.9191 | 1227 | 10.5367 | 1624 | 1.9510 | 350.2379 | 0 | 1 |
| 19. | O | $3-\mathrm{C}_{6} \mathrm{H}_{4} \mathrm{~F}$ | 1.0792 | 831 | 9.3194 | 1099 | 1.9161 | 244.9083 | 0 | 1 |
| 20. | O | $4-\mathrm{C}_{6} \mathrm{H}_{4} \mathrm{CHO}$ | 1.1139 | 1151 | 10.3574 | 1544 | 1.8349 | 322.3337 | 1 | 0 |
| 21. | O | $3-\mathrm{C}_{6} \mathrm{H}_{4} \mathrm{COOH}$ | 1.0414 | 1247 | 10.7681 | 1644 | 1.9228 | 353.8114 | 0 | 1 |
| 22. | O | $3-\mathrm{C}_{6} \mathrm{H}_{4} \mathrm{CHO}$ | 0.8633 | 1112 | 10.3574 | 1466 | 1.8964 | 317.6029 | 0 | 1 |
| 23. | O | $4-\mathrm{C}_{6} \mathrm{H}_{4} \mathrm{OH}$ | 1.2304 | 987 | 9.8574 | 1324 | 1.8650 | 282.6713 | 1 | 0 |
| 24. | O | $3-\mathrm{C}_{6} \mathrm{H}_{4} \mathrm{OH}$ | 0.8261 | 961 | 9.8574 | 1272 | 1.9126 | 279.3250 | 0 | 1 |
| 25. | O | $4-\mathrm{C}_{6} \mathrm{H}_{4} \mathrm{OC}(\mathrm{O}) \mathrm{CH}_{3}$ | 1.0792 | 1299 | 10.7681 | 1748 | 1.8473 | 360.1002 | 1 | 0 |
| 26. | O | $4-\mathrm{C}_{6} \mathrm{H}_{4} \mathrm{OC}(\mathrm{O}) \mathrm{C}_{2} \mathrm{H}_{5}$ | 0.9542 | 1489 | 11.2681 | 1994 | 1.8264 | 353.8114 | 1 | 0 |
| 27. | O | $3-\mathrm{C}_{6} \mathrm{H}_{4} \mathrm{OC}(\mathrm{O}) \mathrm{C}_{6} \mathrm{H}_{5}$ | 0.7243 | 2025 | 12.8582 | 2916 | 1.2731 | 534.4955 | 0 | 1 |
| 28. | O | $4-\mathrm{OH}_{3}-\mathrm{CH}_{2} \mathrm{NMe}_{2} \mathrm{C}_{6} \mathrm{H}_{4}$ | 1.4771 | 1581 | 11.5804 | 2110 | 1.9314 | 437.8703 | 1 | 0 |
| 29. | O | $4-\mathrm{C}_{6} \mathrm{H}_{4} \mathrm{CH}_{2} \mathrm{OC}(\mathrm{O}) \mathrm{CH}_{3}$ | 0.7782 | 1506 | 11.2513 | 2011 | 1.8056 | 407.0457 | 1 | 0 |
| 30. | O | $4-\mathrm{C}_{6} \mathrm{H}_{4} \mathrm{CH}_{2} \mathrm{OH}$ | 1.2304 | 1151 | 10.3574 | 1544 | 1.8349 | 322.3331 | 1 | 0 |
| 31. | $\mathrm{OCH}_{3}$ | $4-\mathrm{C}_{6} \mathrm{H}_{4} \mathrm{CH}_{2} \mathrm{OH}$ | 1.1139 | 1269 | 10.8954 | 1688 | 1.9010 | 357.0097 | 1 | 0 |
| 32. | $\mathrm{OCH}_{3}$ | $3-\mathrm{C}_{6} \mathrm{H}_{4} \mathrm{CF}_{2}$ | 1.2553 | 1348 | 11.0687 | 1770 | 2.0175 | 386.3209 | 0 | 1 |
| 33. | $\mathrm{OC}(\mathrm{O}) \mathrm{CH}_{3}$ | $\mathrm{C}_{6} \mathrm{H}_{5}$ | 1.9542 | 1028 | 10.3743 | 1304 | 2.0600 | 305.9738 | 0 | 0 |
| 34. | NOH | $4-\mathrm{C}_{6} \mathrm{H}_{4} \mathrm{OCH}_{3}$ | 1.4914 | 1096 | 10.3954 | 1456 | 1.9297 | 315.1499 | 1 | 0 |
| 35. | NOH | $\mathrm{C}_{6} \mathrm{H}_{5}$ | 1.7243 | 929 | 9.9636 | 1188 | 1.9864 | 275.7288 | 0 | 0 |
| 36. | H | $\mathrm{n}-\mathrm{C}_{5} \mathrm{H}_{11}$ | 1.3222 | 597 | 7.9804 | 662 | 2.2728 | 172.8932 | 0 | 0 |

$\mathrm{IP}_{1}=1$, when substitution present in $4^{\text {th }}$ position at R otherwise it is 0 .
$\mathrm{IP}_{2}=1$, when substitution present in $3^{\text {rd }}$ position at R otherwise it is 0

The correlation matrix (Table-2) demonstrates that the topological indices $\mathrm{W}, \mathrm{Sz}$ and $\log \mathrm{RB}$ are the most suitable in developing mono-parametric models for modelling $\mathrm{pIC}_{50}$ for the set of compounds used. All other topological indices are equally inferior for this purpose. The indicator parameters used not at all correlate with the activity, and are thus most suitable to be used in obtaining multi-parametric models.
The data presented in Table -3 also shows the existance of high collinearity between: (i) W, B; (ii) W, $\chi$; (iii) W, Sz; (iv) W, $\log$ RB; (v) B, $\chi$; (vi) B, Sz; (vii) B, $\log$ RB; (viii) $\chi$, sz; (ix) $\chi$, $\log R B$ and ( $x$ ) $\mathrm{Sz}, \log$ RB. Comparatively lesser collinearity exists between: (i) W, J; (ii) B, J; (iii) $\chi$, Jand (iv) Sz, J. This shows that any multi-parametric correlation involving any of these combinations may suffer from the defect of collinearity.

Table -3 records regression parameters and quality of series of correlations attempted in modelling $\mathrm{pIC}_{50}$ for the set of compounds used in the present study. It indicates the existance of seven mono-parametric regression expressions, out of which the regressions based on W and Sz are found better for modelling $\mathrm{pIC}_{50}$. Both these expressions show that $\mathrm{pIC}_{50}$ activity goes on increasing with decrease in the magnitudes of W or Sz . These low grade correlations were found as:
$\mathrm{pIC}_{50}=-5.0750 \times 10^{-4}\left( \pm 9.3050 \times 10^{-5}\right) \mathrm{W}+1.7732$
$\mathrm{pIC}_{50}=-3.7991 \times 10^{-4}\left( \pm 7.1166 \times 10^{-5}\right) \mathrm{Sz}+1.7554$

The successive regressions resulted into two bi-parametric models having better quality than the above models. These two bi-parametric correlations consisted of: (i) W, B and (ii) Sz, B respectively. Now, in the bi-parametric regression, one containing Sz term gave better results than the other containing W term. The better quality model containing B and Sz is found as:
$\mathrm{pIC}_{50}=0.5470( \pm 0.1325) \mathrm{B}-0.0015\left( \pm 2.6840 \times 10^{-4}\right) \mathrm{Sz}-$ 2.230

## -3

This expression -3 shows that the extend branching play a dominant role in the exhibition of $\mathrm{pIC}_{50}$ activity of the compounds used.

Step-wise regressions gave three tri-parametric regressions, each having better qualities than the bi-parametric models discussed above. These three tri-parametric models are found to contain: (i) $\mathrm{W}, \mathrm{Sz}, \mathrm{B}$; (ii) $\mathrm{W}, \mathrm{B}, \mathrm{J}$ and (iii) $\mathrm{Sz}, \mathrm{B}, \mathrm{J}$ respectively. The tri-parametric model containing W, Sz and B though gave better R-values and favourable Se, suffers from the defect that the coefficient of W term was lower than its standard deviation. Such models are not statistically allowed and, therefore, not discussed above.

Out of the remaining tri-parametric models the model containing $\mathrm{W}, \mathrm{B}, \mathrm{J}$ gave better results than the model containing $\mathrm{Sz}, \mathrm{B}, \mathrm{J}$. The model contianing $\mathrm{W}, \mathrm{B}, \mathrm{J}$ is found as:
$\mathrm{pIC}_{50}=-0.0016\left( \pm 2.6213 \times 10^{-4}\right) \mathrm{W}+0.5556( \pm 0.1093) \mathrm{B}$

$$
+0.8648( \pm 0.2267) \mathrm{J}-4.1719
$$

This equation-4 shows that in addition to branching, connectivity also plays a dominant role in the exhibition of $\mathrm{pIC}_{50}$ activity of the compound used.

The above equation further demonstrates the dominating role of B and J in the exhibition of $\mathrm{pIC}_{50}$.

Successive regression gave the following penta-parametric model with slightly better quality than the tetra-parametric models discussed above:

Table -2 Correlation matrix

|  | $\mathrm{pIC}_{50}$ | W | B | Sz | J | $\log \mathrm{RB}$ | $\mathrm{IP}_{1}$ | $\mathrm{IP}_{2}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\mathrm{pIC}_{50}$ | 1.0000 |  |  |  |  |  |  |  |
| W | -0.68311 | 1.0000 |  |  |  |  |  |  |
| B | -0.56483 | 0.96116 | 1.0000 |  |  |  |  |  |
| Sz | -0.67527 | 0.98789 | 0.97587 | 1.0000 |  |  |  |  |
| J | 0.59791 | -0.71431 | -0.78011 | -0.77161 | 1.0000 |  |  |  |
| $\operatorname{log~RB}$ | -0.64267 | 0.99388 | 0.97617 | 0.98649 | -0.72683 | 1.0000 |  |  |
| $\mathrm{IP}_{1}$ | 0.11002 | 0.07227 | 0.18883 | 0.11905 | -0.26000 | 0.08333 | 1.0000 |  |
| $\mathrm{IP}_{2}$ | -0.28555 | 0.06624 | 0.12891 | 0.11200 | -0.18005 | 0.09978 | -0.41523 | 1.00000 |

Introduction of indicator parameters resulted into two tetraparametric models having better quality than the tri-parametric models. These models are found to contain: (i) $\mathrm{W}, \mathrm{Sz}, \mathrm{B}, \mathrm{IP}_{2}$ and (ii) W, B, J, $\mathrm{IP}_{2}$ respectively. The former model containing $\mathrm{W}, \mathrm{Sz}, \mathrm{B}$ and $\mathrm{IP}_{2}$ as correlating parameters is rejected on the ground that the coefficient of W term was lower than its standard deviation. The other tetra-parametric model containing $\mathrm{W}, \mathrm{B}, \mathrm{J}$ and $\mathrm{IP}_{2}$ is found as:

$$
\begin{aligned}
& \mathrm{pIC}_{50}=-0.0017\left( \pm 2.2609 \times 10^{-4}\right) \mathrm{W}+0.5941( \pm 0.0935) \mathrm{B} \\
& +0.8017( \pm 0.1927) \mathrm{J}-0.2875( \pm 0.0779) \mathrm{IP}_{2}-4.4106
\end{aligned}
$$

$$
\begin{align*}
\mathrm{pIC}_{50}= & -0.0620\left( \pm 2.5767 \times 10^{-4}\right) \mathrm{W}+0.7034( \pm 0.1035) \mathrm{B} \\
& +0.7275( \pm 0.1874) \mathrm{J}-0.1684( \pm 0.0816) \mathrm{IP}_{1} \\
& -0.4069( \pm 0.0940) \mathrm{IP}_{2}-4.9456
\end{align*}
$$

Both the above equations-5 and -6 indicate that the indicator parameters have retarding effect in the exhibition of $\mathrm{pIC}_{50}$ of the set of compounds used.

Finally, the hexa-parametric model containing W, B, J, $\log$ RB and $\mathrm{IP}_{2}$ resulted into statistically most significant model:
$\mathrm{pIC}_{50}=-0.0028\left( \pm 5.6994 \times 10^{-4}\right) \mathrm{W}+0.5626( \pm 0.1350) \mathrm{B}$

Table-3 Regression parameters and quality of correlations

| $\mathrm{S} .$ | Parameters Used | $\begin{gathered} \mathrm{Ai} \\ (\mathrm{i}=0,1,2,3, \ldots, 6) \end{gathered}$ | B | Se | $\mathrm{R}^{2}$ | R | F-ratio | Prob. | Q |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 1. | W | $-5.0750 \times 10^{-4}\left( \pm 9.3050 \times 10^{-5}\right)$ | 1.7732 | 0.2771 | 0.4666 | -0.6831 | 29.747 | $1.416 \times 10^{-6}$ | -2.4651 |
| 2. | B | $-0.1565( \pm 0.0392)$ | 2.7891 | 0.3131 | 0.3190 | -0.5647 | 15.529 | $3.322 \times 10^{-4}$ | -1.8050 |
| 3. | Sz | $-3.7991 \times 10^{-4}\left( \pm 7.1164 \times 10^{-5}\right)$ | 1.7559 | 0.2799 | 0.4560 | -0.6753 | 28.499 | $6.244 \times 10^{-6}$ | -2.4126 |
| 4. | J | $0.8707( \pm 0.2002)$ | -0.5114 | 0.3042 | 0.3575 | 0.5979 | 18.918 | $1.177 \times 10^{-4}$ | 1.9654 |
| 5. | $\log \mathrm{RB}$ | $-0.0020\left( \pm 4.1814 \times 10^{-4}\right)$ | 1.8453 | 0.2907 | 0.4130 | -0.6427 | 23.924 | $2.376 \times 10^{-5}$ | -2.2108 |
| 6. | $\mathrm{IP}_{1}$ | $0.0823( \pm 0.1275)$ | 1.1384 | 0.3772 | 0.0121 | 0.1100 | 0.417 | 0.5230 | 0.2916 |
| 7. | $\mathrm{IP}_{2}$ | $-0.2661( \pm 0.1531)$ | 1.2244 | 0.3637 | 0.0815 | -0.2856 | 3.018 | 0.0914 | 0.7852 |
| 8. | W | $\begin{gathered} -0.0014\left( \pm 3.0470 \times 10^{-4}\right) \\ 0.3336( \pm 0.1136) \end{gathered}$ | -0.6558 | 0.2505 | 0.5771 | 0.7597 | 22.520 | $6.977 \times 10^{-7}$ | 3.0327 |
| 9. | B Sz | $\begin{gathered} 0.5470( \pm 0.1321) \\ -0.0015\left( \pm 2.6840 \times 10^{-4}\right) \end{gathered}$ | -2.2309 | 0.2305 | 0.6419 | 0.8012 | 29.576 | $4.376 \times 10^{-8}$ | 3.4759 |
|  | W | $-3.2014 \times 10^{-4}\left( \pm 5.0525 \times 10^{-4}\right)$ |  |  |  |  |  |  |  |
| 10. | B | $0.5397( \pm 0.1338)$ | -2.1668 | 0.2326 | 0.6453 | 0.8039 | 19.494 | $2.260 \times 10^{-7}$ | 3.4561 |
|  | Sz | $-0.0012\left( \pm 4.8364 \times 10^{-4}\right)$ |  |  |  |  |  |  |  |
|  | W | $-0.0016\left( \pm 2.6713 \times 10^{-4}\right)$ |  |  |  |  |  |  |  |
| 11. | B | $0.5356( \pm 0.1093)$ | -4.1719 | 0.2109 | 0.7093 | 0.8422 | 26.031 | $1.022 \times 10^{-8}$ | 3.9933 |
|  | J | 0.8648 ( $\pm 0.2267)$ |  |  |  |  |  |  |  |
|  | B | $0.5997( \pm 0.1282)$ |  |  |  |  |  |  |  |
| 12. | Sz | $-0.0014\left( \pm 2.5613 \times 10^{-4}\right)$ | -3.7828 | 0.2193 | 0.6856 | 0.8280 | 23.260 | $3.532 \times 10^{-8}$ | 3.7756 |
|  | J | 0.4880 ( $\pm 0.2314)$ |  |  |  |  |  |  |  |
|  | W | $-7.1864 \times 10^{-4}\left( \pm 9.7137 \times 10^{-4}\right)$ |  |  |  |  |  |  |  |
| 13. | B | $0.5645( \pm 0.1201)$ | -2.3084 | 0.2082 | 0.7256 | 0.8518 | 20.493 | $2.415 \times 10^{-8}$ | 4.0912 |
| 13. | Sz | $-9.4245 \times 10^{-4}\left( \pm 4.4198 \times 10^{-4}\right)$ | -2.3084 | 0.2082 | 0.7256 | 0.8518 | 20.493 | $2.415 \times 10$ | 4.0912 |
|  | $\mathrm{IP}_{2}$ | $-0.2763( \pm 0.0923)$ |  |  |  |  |  |  |  |
|  | W | $-0.0017\left( \pm 2.2669 \times 10^{-4}\right)$ |  |  |  |  |  |  |  |
| 14. | B | $0.5941( \pm 0.0919)$ | -4.4106 | 0.1786 | 0.7981 | 0.8934 | 30.632 | $2.272 \times 10^{-10}$ | 5.0022 |
| 14. | J | $0.8017( \pm 0.1927)$ | -4.4106 | 0.1786 | 0.7981 | 0.8934 | 30.632 | $2.272 \times 10$ | 5.0022 |
|  | $\mathrm{IP}_{2}$ | $-0.2875( \pm 0.0779)$ |  |  |  |  |  |  |  |
|  | W | $-0.0020\left( \pm 2.5760 \times 10^{-4}\right)$ |  |  |  |  |  |  |  |
|  | B | $0.7034( \pm 0.1039)$ |  |  |  |  |  |  |  |
| 15. | J | $0.7215( \pm 0.1874)$ | -4.9456 | 0.1699 | 0.8252 | 0.9073 | 27.933 | $1.939 \times 10^{-10}$ | 5.3402 |
|  | $\mathrm{IP}_{1}$ | -0.1684 ( $\pm 0.0816)$ |  |  |  |  |  |  |  |
|  | $\mathrm{IP}_{2}$ | $-0.4069( \pm 0.0340)$ |  |  |  |  |  |  |  |
| 16. | W | $-0.0028\left( \pm 5.6991 \times 10^{-4}\right)$ |  |  |  |  |  |  |  |
|  | B | 0.5626 ( $\pm 0.1350)$ | -4.0834 | 0.16584 | 0.8372 |  |  | $3.403 \times 10^{-10}$ |  |
|  | J | $0.6736( \pm 0.1854)$ |  |  |  | 0.9150 | 24.858 |  | 5.5187 |
|  | $\log$ RB | $0.0050( \pm 0.0031)$ |  |  |  |  |  |  |  |
|  | $\mathrm{IP}_{1}$ | $-0.1449( \pm 0.0810)$ |  |  |  |  |  |  |  |
|  | $\mathrm{IP}_{2}$ | $-0.4173( \pm 0.0920)$ |  |  |  |  |  |  |  |

$$
4.0834
$$

$$
\begin{aligned}
& +0.6736( \pm 0.1854) \mathrm{J}+0.0054( \pm 0.0031) \log \mathrm{RB} \\
& -0.1449( \pm 0.0850) \mathrm{IP}_{1}-0.4173( \pm 0.0920) \mathrm{IP}_{2}-
\end{aligned}
$$

This model also establishes dominating roles of B and J ; and retarding effects of $\mathrm{IP}_{1}$ and $\mathrm{IP}_{2}$.

The Q-values calculated for all the proposed models (Table-3) also suggests the model based on equation -7 as the most appropriate model for exhibiting $\mathrm{pIC}_{50}$.

The details of all the attempted regressions are given in Table 4.

| Model No. | Regression expression |
| :---: | :---: |
| 1. | $\mathrm{pIC} 50050.5 .0750 \times 10^{-4}\left( \pm 9.3050 \times 10^{-5}\right) \mathrm{W}+1.7732$ |
| 2. | $\mathrm{pIC}_{50}=-0.0014\left( \pm 3.0470 \times 10^{-4}\right) \mathrm{W}+0.3336( \pm 0.1136)$ |
| 3. | $\begin{gathered} \mathrm{pIC}_{50}=0.5470( \pm 0.1325) \mathrm{B}-0.0015\left( \pm 2.6840 \times 10^{-4}\right) \\ \mathrm{Sz}-2.2309 \end{gathered}$ |
| 4. | $\begin{gathered} \mathrm{pIC}_{50}=-3.2014 \times 10^{-4}\left( \pm 5.0525 \times 10^{-4}\right) \mathrm{W} \\ +0.5397( \pm 0.1338) \mathrm{B}-0.0012\left( \pm 0.4 .8364 \times 10^{-4}\right) \mathrm{Sz}- \\ 2.1668 \end{gathered}$ |
| 5. | $\begin{gathered} \mathrm{pIC}_{50}=-0.0016\left( \pm 2.6213 \times 10^{-4}\right) \mathrm{W}+0.5556( \pm 0.1093) \mathrm{B} \\ +0.8648( \pm 0.2267) \mathrm{J}-4.1719 \end{gathered}$ |
| 6. | $\begin{aligned} \mathrm{pIC}_{50}= & 0.5997( \pm 0.1282) \mathrm{B}-0.0014\left( \pm 2.5613 \times 10^{-4}\right) \\ & \mathrm{Sz}+0.4880( \pm 0.2314) \mathrm{J}-3.7828 \end{aligned}$ |
| 7. | $\begin{gathered} \mathrm{pIC}_{50}=-7.1864 \times 10^{-4}\left( \pm 9.7137 \times 10^{-4}\right) \mathrm{W} \\ +0.5645( \pm 0.1201) \mathrm{B}-9.4245 \times 10^{-4}\left( \pm 0.4198 \times 10^{-4}\right) \mathrm{Sz} \\ +0.2763( \pm 0.0923) \mathrm{IP}_{2}-2.3084 \end{gathered}$ |
| 8. | $\begin{aligned} & \mathrm{pIC}_{50}=-0.0017\left( \pm 2.2609 \times 10^{-4}\right) \mathrm{W}+0.5941( \pm 0.0935) \mathrm{B} \\ & +0.8017( \pm 0.1927) \mathrm{J}-0.2875( \pm 0.0779) \mathrm{IP}_{2}-4.4106 \end{aligned}$ |
| 9. | $\begin{aligned} \mathrm{pIC}_{50} & =-0.0020\left( \pm 2.5767 \times 10^{-4}\right) \mathrm{W}+0.7034( \pm 0.1035) \mathrm{B} \\ & +0.7215( \pm 0.1874) \mathrm{J}-0.1684( \pm 0.0816) \mathrm{IP}_{1} \\ & -0.4069( \pm 0.0940) \mathrm{IP}_{2}-4.9456 \end{aligned}$ |
| 10. | $\begin{gathered} \mathrm{pIC}_{50}=-0.0028\left( \pm 5.6994 \times 10^{-4}\right) \mathrm{W}+0.5626( \pm 0.1350) \mathrm{B} \\ +0.6736( \pm 0.1854) \mathrm{J}+0.0050( \pm 0.0031) \log \mathrm{RB} \\ -0.1449( \pm 0.0810) \mathrm{IP}_{1}-0.4173( \pm 0.0920) \mathrm{IP}_{2}-4.0834 \end{gathered}$ |

Finally, to support our findings, we have calculated $\mathrm{pIC}_{50}$ from the most significant expression -7 and compared them with the observed values of $\mathrm{pIC}_{50}$. Such a comparison is demonstrated in Table-5. In addition, we have also calculated residue i.e. difference between observed and calculated $\mathrm{pIC}_{50}$. These values are also given in Table -5. The data presented in Table5 show that the calculated $\mathrm{pIC}_{50}$ values are very close to the observed value.

## Conclusion

From the aforementioned results and discussions we conclude that-

1. The distance based topological indices used are quite useful in modeling CAII activity.
2. Out of the pool of topological indices used the models $\mathrm{W}, \mathrm{B}$ and Sz are found to be most suitable for modeling CAII activity.
3. Introduction of indicator parameters related to substituents in $3^{\text {rd }}$ position at $R$ enhances quality of correlation as well as predictive potential of the models.

## Experimental

Inhibition constant $\left(\mathbf{K}_{\mathbf{i}}\right)$ - As stated earlier, the inhibition constant $\mathrm{K}_{\mathrm{i}}$ was used as reported earlier ${ }^{1}$ by converting it into its $\log$ unit i.e. as $\log \mathrm{K}_{\mathrm{i}}$ (Table IV-I-1); it is expressed as $\log$
$\mathrm{K}_{\mathrm{i}}(\mathrm{nM})$. Enzyme concentration for the study was maintained 12 nM .

Table -5Estimated value of $\mathrm{pIC}_{50}$ and comparison with

| Compd. <br> No. | Observed$\log \mathbf{I C}_{50}$ | Estimated pIC ${ }_{50}$ from eqn. 16 |  |
| :---: | :---: | :---: | :---: |
|  |  | Est. | Res. |
| 1. | 0.7782 | 0.6900 | 0.0879 |
| 2. | -0.3010 | -0.2420 | -0.0586 |
| 3. | 1.5052 | 1.5100 | -0.0045 |
| 4. | 1.4914 | 1.5660 | -0.0749 |
| 5. | 1.2041 | 1.2020 | 0.0026 |
| 6. | 1.6128 | 1.3610 | 0.2517 |
| 7. | 1.4150 | 1.3810 | 0.0337 |
| 8. | 1.2555 | 1.3610 | -0.1056 |
| 9. | 1.3222 | 1.3730 | -0.0504 |
| 10. | 1.1139 | 1.2430 | -0.1291 |
| 11. | 1.4314 | 1.2740 | 0.1577 |
| 12. | 1.4613 | 1.3310 | -0.1852 |
| 13. | 1.4150 | 1.1820 | 0.2326 |
| 14. | 0.9395 | 1.1220 | -0.1828 |
| 15. | 1.2788 | 1.2430 | 0.0357 |
| 16. | 1.2553 | 1.3700 | -0.1149 |
| 17. | 1.1760 | 1.3880 | -0.2115 |
| 18. | 0.9191 | 1.0060 | -0.0870 |
| 19. | 1.0792 | 0.8960 | 0.1831 |
| 20. | 1.1139 | 1.1760 | -0.0620 |
| 21. | 1.0414 | 1.0780 | -0.0369 |
| 22. | 0.8633 | 1.0320 | -0.1686 |
| 23. | 1.2304 | 1.1820 | 0.0481 |
| 24. | 0.8261 | 0.9990 | -0.1731 |
| 25. | 1.0792 | 1.1840 | -0.1045 |
| 26. | 0.9542 | 0.8810 | 0.0729 |
| 27. | 0.7243 | 0.5100 | 0.2139 |
| 28. | 1.4771 | 1.2850 | 0.1922 |
| 29. | 0.7782 | 1.0740 | -0.2962 |
| 30. | 1.2304 | 1.1750 | 0.0545 |
| 31. | 1.1139 | 1.3610 | -0.2472 |
| 32. | 1.2553 | 1.1870 | 0.0686 |
| 33. | 1.9542 | 1.7490 | 0.2051 |
| 34. | 1.4914 | 1.3810 | 0.1101 |
| 35. | 1.7243 | 1.5990 | 0.1256 |
| 36. | 1.3222 | 1.1050 | 0.2169 |

## Topological Index

The term topological index (TI) was proposed by Hosoya in 1971 for characterizing the topological nature of a graph. TI is an interger quite easily obtained from a graph by the specific recipe. Later on, so many different versions of topological indices have been proposed mostly by the chemists that nowadays the term "topological index" is used as the general name for these indices. More than one hundred different topological indices are proposd for chemical graphs ${ }^{11-18}$.

## Wiener index (W)

The Wiener index $(W)$ is the oldest and widely used topological index ${ }^{7-10}$. It is based on the vertex-distances of the respective molecular graph.
Let us denote a molecular graph by $G$ and having $v_{l}, v_{2}, v_{3}, \ldots, v_{n}$ its vertices. Let $\mathrm{d}\left(v_{i}, v_{j} \mid G\right)$ stand for the distance between the vertices $v_{i}$ and $v_{j}$. Then the Wiener index is defined as:
$W=W(G)=1 / 2 \quad d\left(v_{i}, v_{j} \mid G\right)$
$i=1 j=1$

## Szeged index (Sz)

Let $e$ be an edge of the molecular graph $G$. Let $n_{l}(e \mid G)$ be the number of vertices of $G$ lying closer to one end of $e$; let $n_{2}(e \mid G)$ be the number of vertices of $G$ lying closer to the other end of $e$. Then the Szeged index $(S z)$ is defined ${ }^{9,10}$ as:
$S z(G)=S z=\quad n_{1}(e \mid G) n_{2}(e \mid G)$
$e$
with the summation giving over all edges of $G$.
In cyclic graphs, there are edges equidistant from both the ends of edge $e$; by definition of $S z$ such edges are not taken into account.

## Balaban index (J)

The Balaban index, J (the average distance sum connectivity index) is defined ${ }^{10}$ by:

$$
\begin{aligned}
& \quad \mathrm{M} \\
& \mathrm{~J}=\mathrm{J}(\mathrm{G})----\quad \\
& +1 \text { bonds }
\end{aligned}
$$

where $M$ is the number of bonds in a graph $G$, is the cyclomatic number of G and $\mathrm{d}_{\mathrm{i}}$ 's $(\mathrm{i}=1,2,3, \ldots, \mathrm{~N})$ are the distance sums (distance degrees) of atoms in G .

$$
\mathrm{N}
$$

$\mathrm{d}_{\mathrm{i}}=(\mathrm{D})_{\mathrm{j}} \quad \mathrm{j}=1$
The cyclomatic number of $G$ indicates the number of independent cycles in $G$ and is equal to the minimum number of cuts (removal of bonds) necessary to convert a polycylic structure into an acyclic structure :

$$
\begin{equation*}
=\mathrm{M}-\mathrm{N}+1 \tag{5}
\end{equation*}
$$

One way to compute the Balaban index for heterosystem was suggested by Barysz et al ${ }^{11}$. These authors have modified the elements of the distance matrix for hetero-system as follows:
(i) The diagonal elements :

$$
\begin{equation*}
(\mathrm{D})_{\mathrm{ij}}=1-\left(\mathrm{Z}_{\mathrm{c}} / \mathrm{Z}_{\mathrm{i}}\right) \tag{6}
\end{equation*}
$$

where $Z_{c}=6$ and $Z_{i}=$ atomic number of the given element.
(ii) The off-diagonal elements :

$$
\begin{equation*}
(\mathrm{D})_{\mathrm{ij}} \mathrm{~d}_{\mathrm{i}}=\underset{\mathrm{r}}{\mathrm{k}} \tag{7}
\end{equation*}
$$

where the summation is over all bonds. The bond parameter $k_{r}$ is given by :

$$
\mathrm{k}_{\mathrm{r}}=1 / \mathrm{b}_{\mathrm{r}}\left(\mathrm{Z}_{\mathrm{c}} / \mathrm{Z}_{\mathrm{i}} \mathrm{Z}_{\mathrm{j}}\right)
$$

where $b_{r}$ is the bond weight with values : 1 for single bond, 2 for double bond, 1.5 for aromatic bond and 3 for triple bond. The values of $(\mathrm{D})_{\mathrm{ij}}$ for various hetero-bonds.

## Molecular connectivity index: ${ }^{m} \mathbf{X}_{\mathbf{R}}$

The connectivity index of a graph $G,{ }^{m} X_{R}(G)$, is introduced by Randic and is similar to the Zagreb group index. It is proposed by Randic as:

$$
{ }^{\mathrm{m}} \mathrm{X}_{\mathrm{R}}(\mathrm{G})=\underset{\text { edges }}{\sum\left(\mathrm{D}_{\mathrm{i}} \mathrm{D}_{\mathrm{j}}\right)^{-1 / 2}}
$$

Randic connectivity index may be generalized by considering a path of length $L$ instead of an edge $(\mathrm{L}=1)$ in the graph.

$$
{ }^{\mathrm{L}} \mathrm{X}_{\mathrm{R}}={ }^{\mathrm{L}} \mathrm{X}_{\mathrm{R}}(\mathrm{G})=\sum\left(\mathrm{D}_{\mathrm{i}} \mathrm{D}_{\mathrm{j}} \ldots . \mathrm{D}_{\mathrm{L}+1}\right)^{-1 / 2} \quad \text { II-6 }
$$

where $D_{i}, D_{j}, \ldots \ldots, D_{L+1}$ are the valencies of vertices in the considered path L . From the above equation, one can naturally follow the three connectivity indices: ${ }^{0} \mathrm{X}_{\mathrm{R}}(\mathrm{G}),{ }^{1} \mathrm{X}_{\mathrm{R}}(\mathrm{G}),{ }^{2} \mathrm{X}_{\mathrm{R}}(\mathrm{G})$ which are used often.

## Zero Order Connectivity Index: ${ }^{0} \mathrm{X}_{\mathrm{R}}(\mathrm{G})$

The zero order connectivity index, ${ }^{0} \mathrm{X}_{\mathrm{R}}(\mathrm{G})$, is defined as: SV
${ }^{0} \mathrm{X}_{\mathrm{R}}={ }^{0} \mathrm{X}_{\mathrm{R}}(\mathrm{G})=\sum\left(\mathrm{D}_{\mathrm{i}} \mathrm{D}_{\mathrm{j}}\right)^{-1 / 2}$

## $S=1$

where, $S$ stands for a sub-graph of $G$, which in this case is just a vertex, while $S V$ is the total number of vertices in $G$. Each vertex of $G$ in this case has a weight $D_{i}$.

## First Order Connectivity Index: ${ }^{1} \mathbf{X}_{\mathbf{R}}(\mathbf{G})$

The first order connectivity index, ${ }^{1} X_{R}(G)$
is given by:

$$
{ }^{1} X_{R}={ }^{1} X_{R}(G)=\sum_{S=1}^{S e}\left(D_{i} D_{j}\right) S^{-1 / 2}
$$

where S , stands for an edge in G, while Se is the total number of edges in G . Each edge of G in this case has a weight of $\mathrm{D}_{\mathrm{i}} \mathrm{D}_{\mathrm{j}}$. The first order connectivity index is, of course, identical to the original Randic's connectivity index.

## Second Order Connectivity Index: ${ }^{\mathbf{2}} \mathbf{X}_{\mathbf{R}}$

The second order connectivity index, ${ }^{2} \mathrm{X}_{\mathrm{R}}(\mathrm{G})$ is defined as:
SL
${ }^{2} \mathrm{X}_{\mathrm{R}}={ }^{2} \mathrm{X}_{\mathrm{R}}(\mathrm{G})=\sum$
$\left(D_{i} D_{j} D_{k}\right) S^{-1 / 2} ; \quad i=j=k$ $\mathrm{S}=1$
where, S stands for a path of length two, while SL is the number of paths of length two in a graph G. Each path of length two has in this case a weight $D_{i} D_{j} D_{k}$. Higher order connectivity indices may also be obtained.

## Branching index (B)

The branching index B has been calculated by the method as described by Todeschini et al.

## Indicator parameters ( $\mathbf{I} \mathbf{p}_{\mathbf{1}}, \mathbf{I} \mathbf{p}_{\mathbf{2}}$ )

Indicator variables (parameters), sometimes called dummy variables or de novo constants, are used in multiple linear regression analysis to account for certain features which cannot be described by continuous variables. In QSAR equations they normally describe a certain structural element, be it a substituent or another molecular fragment. Thus, Free Wilson analysis may be interpreted as a regression analysis approach using only indicator variables.
The indicator parameters (variables) take on only two values, usually zero and one.

## Regression Analysis

We have used the maximum $R^{2}$ improvement method to identify prediction models ${ }^{14,15}$. This method finds the "best" one variable model, the "best" two variable model and so forth for the prediction of property/ activity. Several models (combinations of variables) were examined to identify combinations of variables with good prediction capabilities. In all regression models developed we have examined a variety of statistics associated with residues, i.e. the Wilks-Shapiro test for normality and Cooks D-statistics for outliers, to obtain the most reliable results ${ }^{14,15}$. Finally, results are discussed on the basis of cross-validation parameters.

Multiple regression analyses for correlating antimalarial activities of the present set of compounds with the aforementioned molecular descriptors were carried out using Regress-1 software as supplied by Professor I. Lukovits, Hungarian Academy of Sciences, Budapest, Hungary. Several multiple regressions were attempted using correlation matrix from this program and the best results are considered and
discussedth in developing QSAR and hence, for modeling the antimalarial activities of the compounds in the present study.

## Computations

All the computations were carried out in Power Macintosh 9600/233.

## Acknowledgements

The auther are very thankful to Professor Vijay K. Agrawal, Director in NITTTR, Bhopal for providing the lab of QSAR and allow to work with software provided by Professor I Lukovits, Hungarian Acadmy of Science, Budapest, Hungary, for regression analysis. I also very thankful to my Respected Principal Sir Dr. M.K. Arora for his valuable cooperation

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